

Fermilab's search for Chameleons

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Some Numerology

Dark Energy: $\Lambda^4 = (2 \text{ meV})^4$

$$hc \sim 1 \text{ meV mm}$$

$$\Delta m^2 L/E \sim \text{meV}^2 \text{ m/eV}$$

Some Numerology

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Increase power by a factor of 100 to 100,000

Power recycle for a factor of 10 to 100

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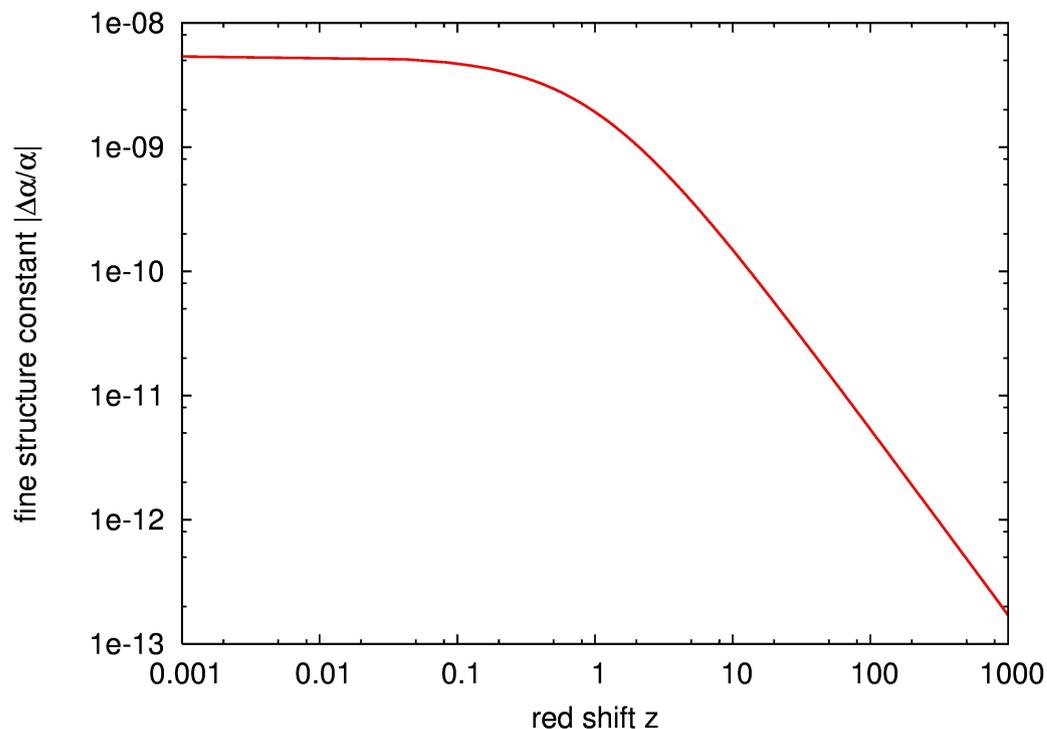
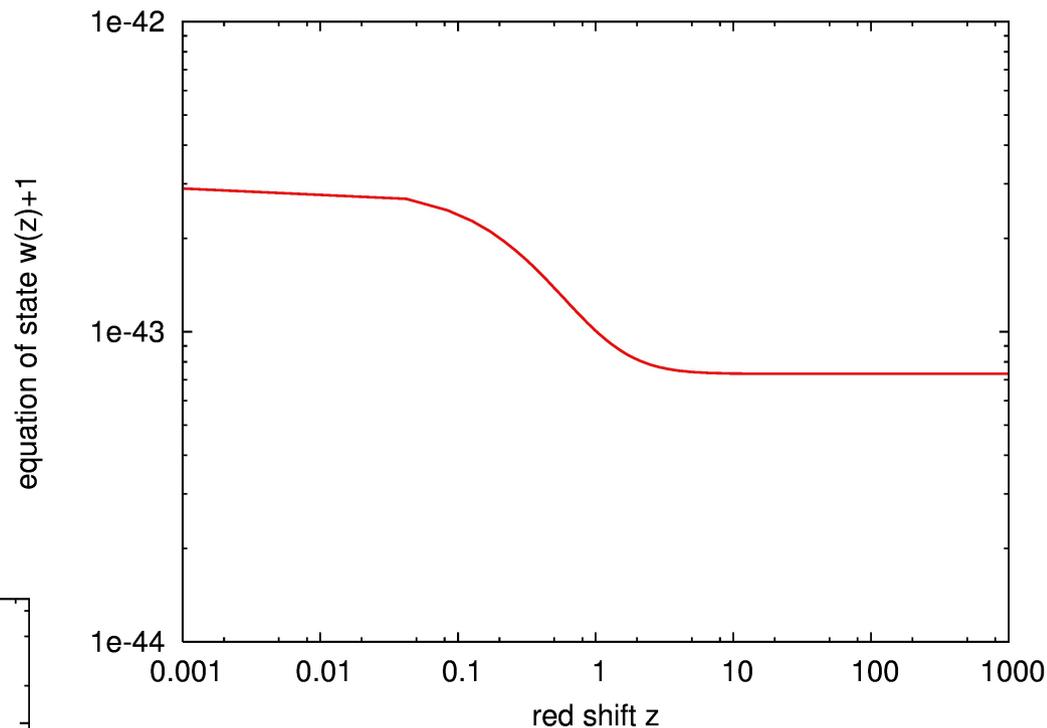
Use an interferometer...

Angular sensitivity $\sim 10^{-12}$ radians

Differential length sensitivity $\sim 10^{-19}$ meters

Chameleon Dark Energy

Equation of state parameter
from chameleon dark energy
(current limits ~ 0.1).



Variation in fine structure
constant from chameleon
dark energy
(current limits 10^{-6})

Chameleon Dark Energy

We consider potentials of the form

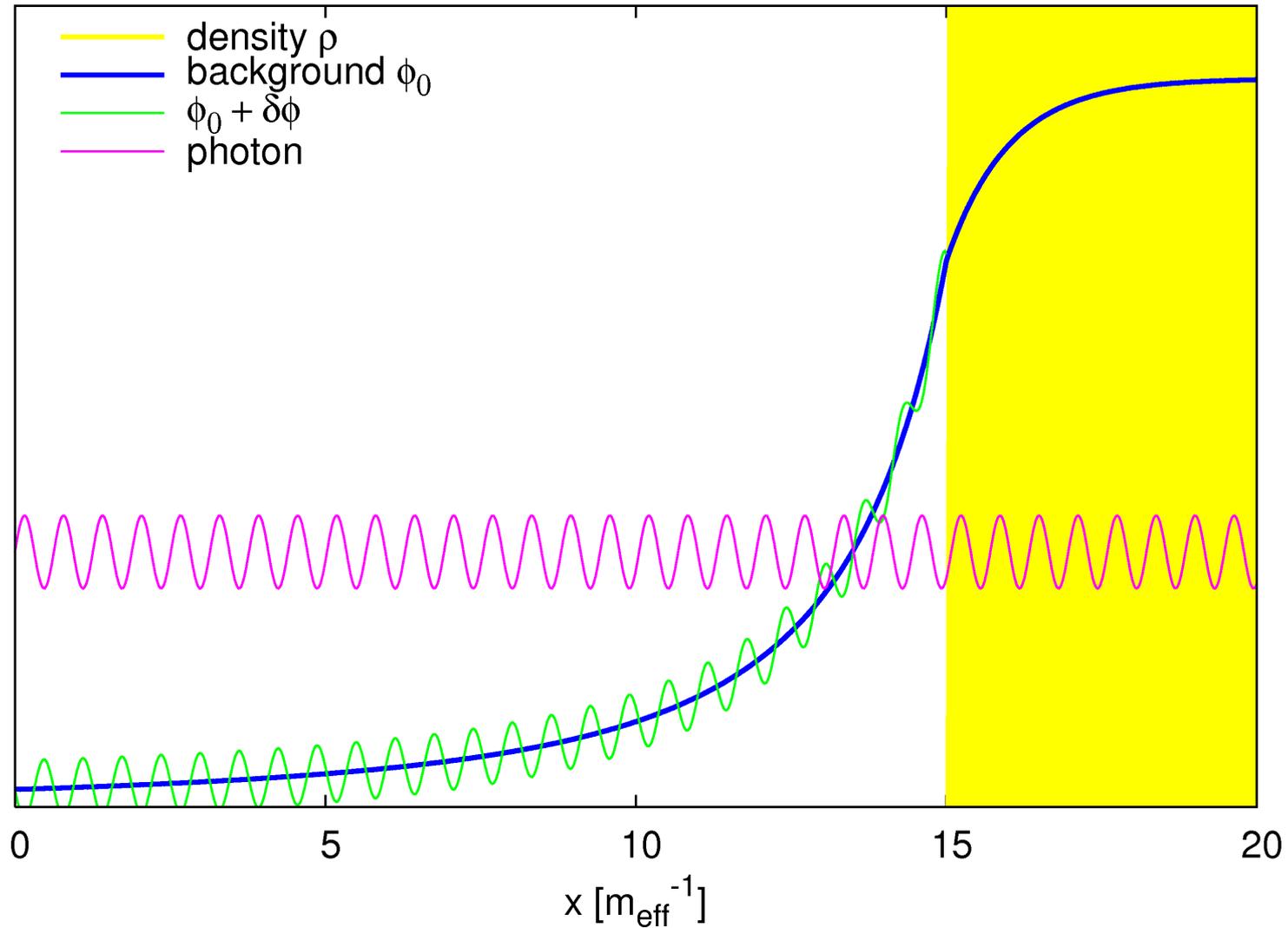
$$V(\phi) = M_{\Lambda}^4 \exp(\phi^N/M_{\Lambda}^N) \approx M_{\Lambda}^4 (1 + \phi^N/M_{\Lambda}^N)$$

- M_{Λ} is the dark energy scale, $2.4 \times 10^{-3} \text{eV}$

In bulk matter density ρ , m_{eff} scales as ρ^{η}

- $\eta = (N-2)/(2N-2)$
- $\eta = 1/3$ for ϕ^4 theory, $\eta = 3/4$ for $1/\phi$ model

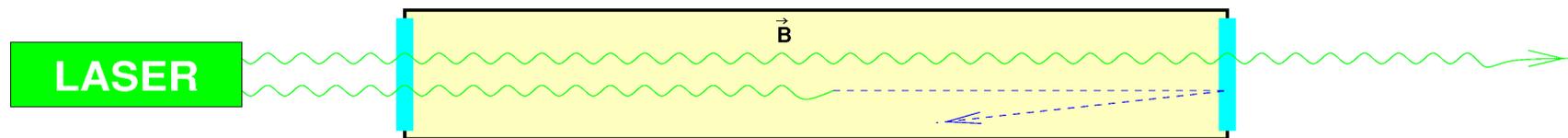
Quantum Measurement: Windows



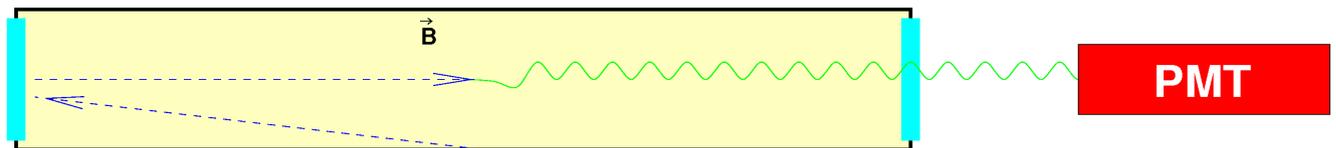
Afterglow experiment

a) **production:** Stream photons through the magnetic field region via glass windows. Any chameleon particles produced will be trapped in the chamber.

a)

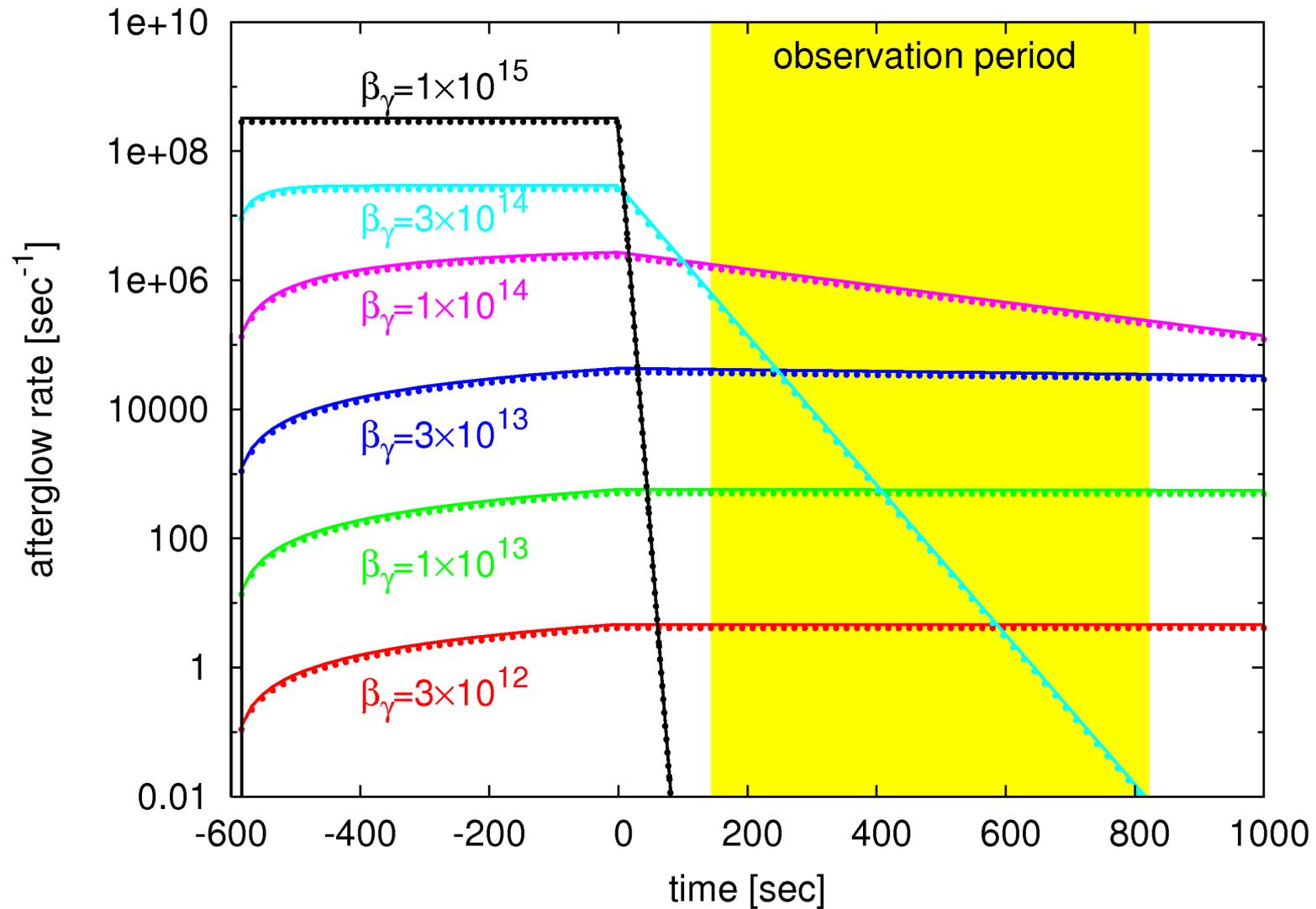


b)



b) **afterglow:** Turn off the photon source, and wait for chameleon particles to convert back into detectable photons, which emerge through the windows.

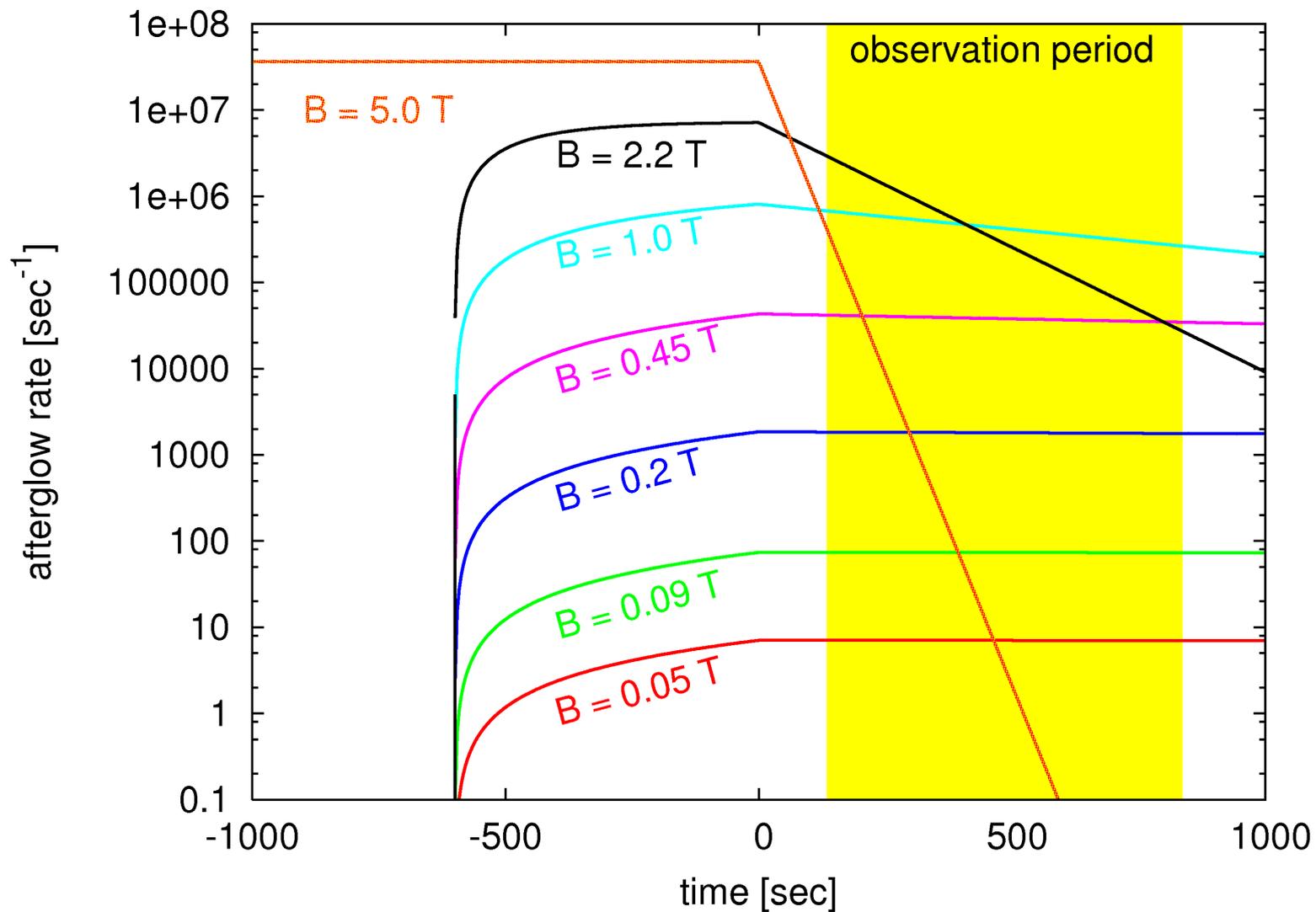
Expected signal



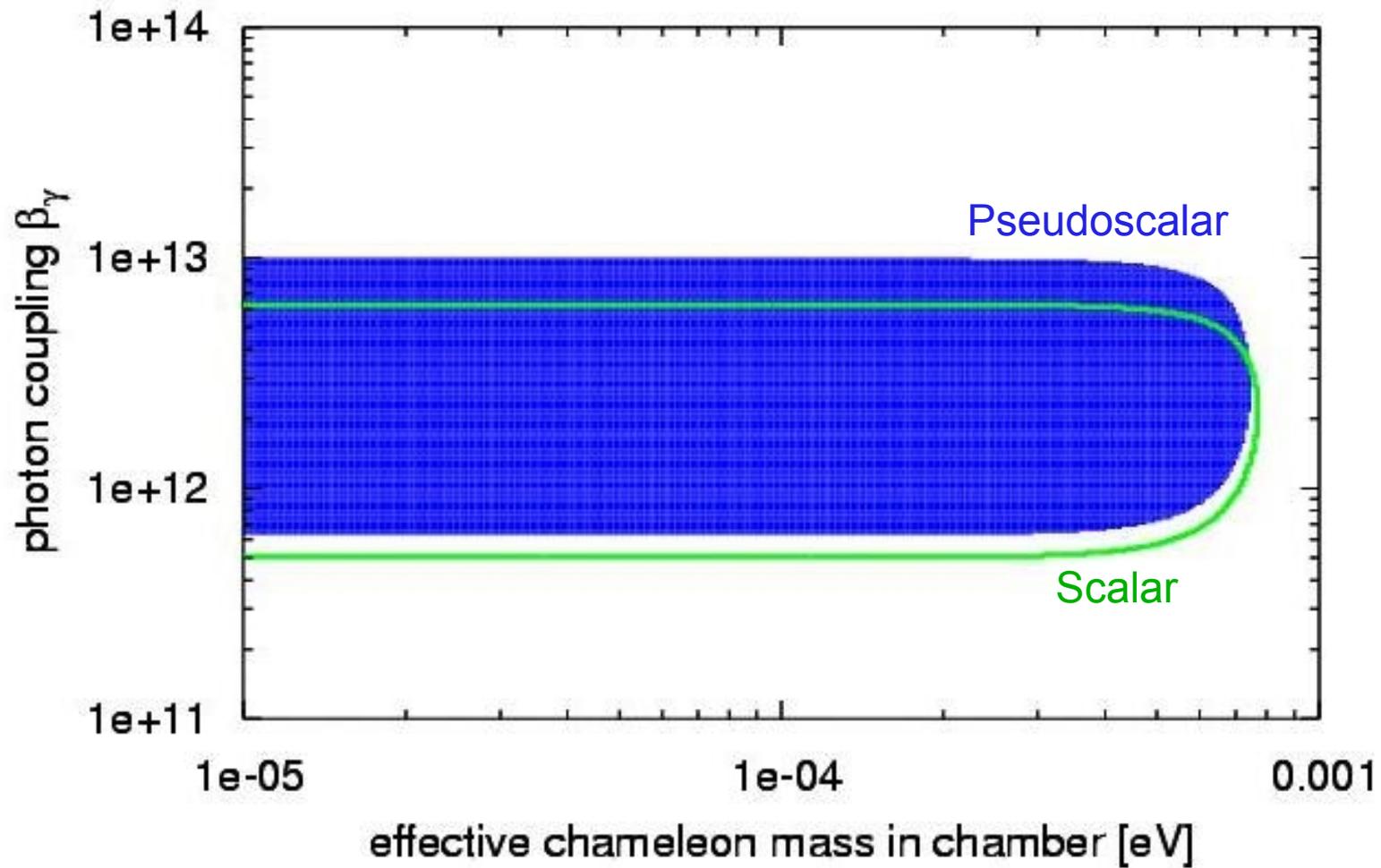
solid lines: $m_{\text{eff}} = 1 \times 10^{-4} \text{ eV}$

dotted lines: $m_{\text{eff}} = 5 \times 10^{-4} \text{ eV}$

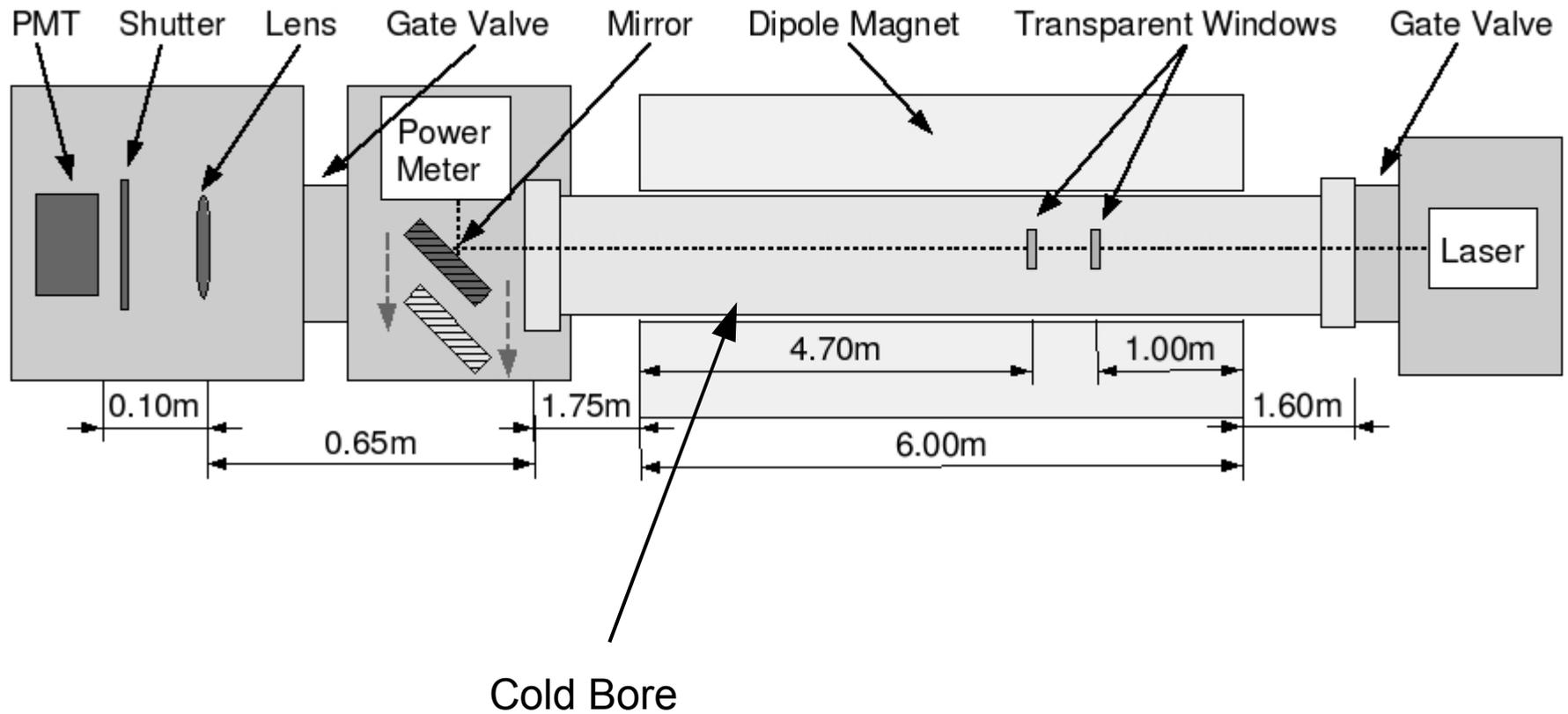
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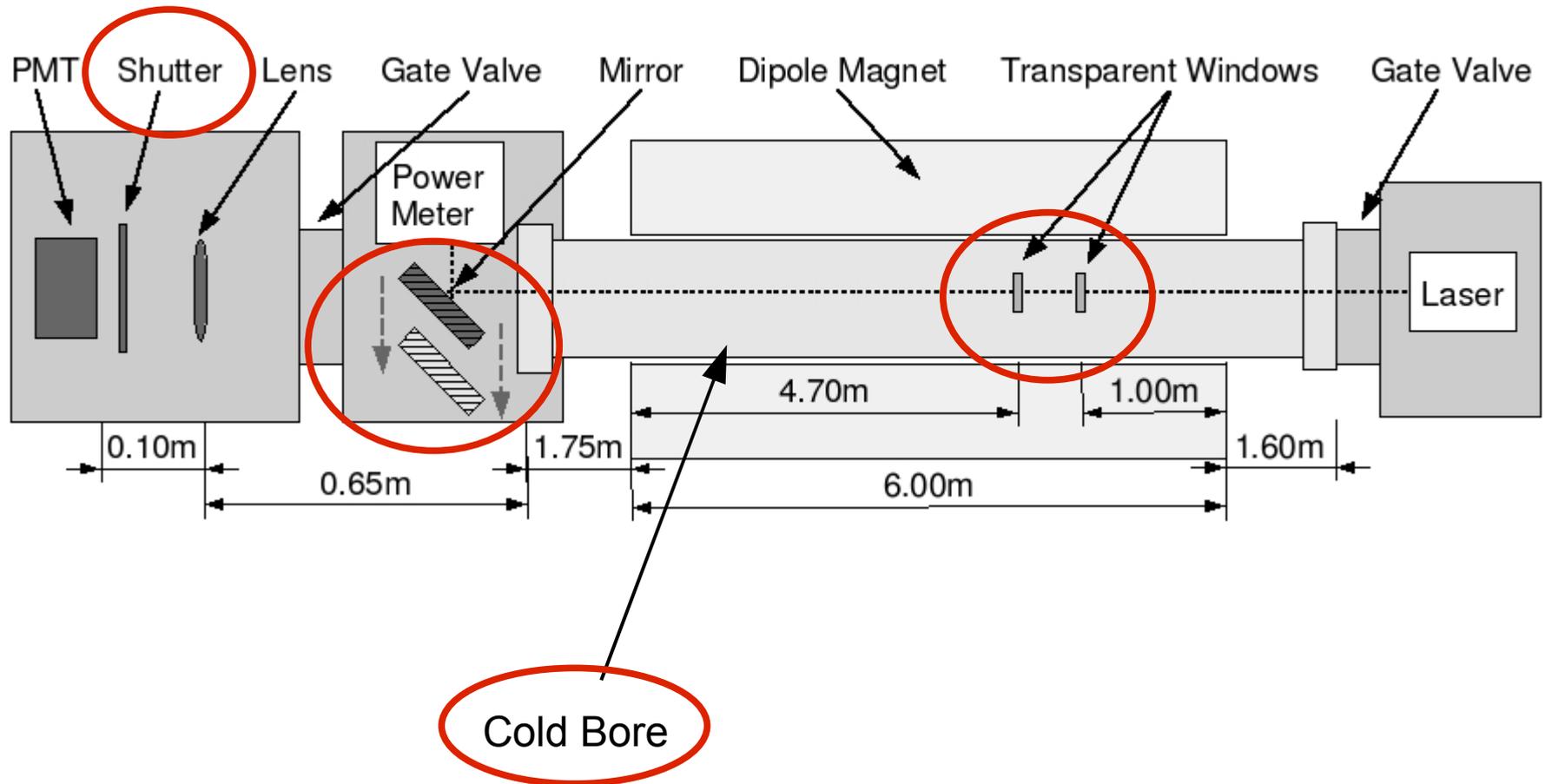
Constraints from GammeV



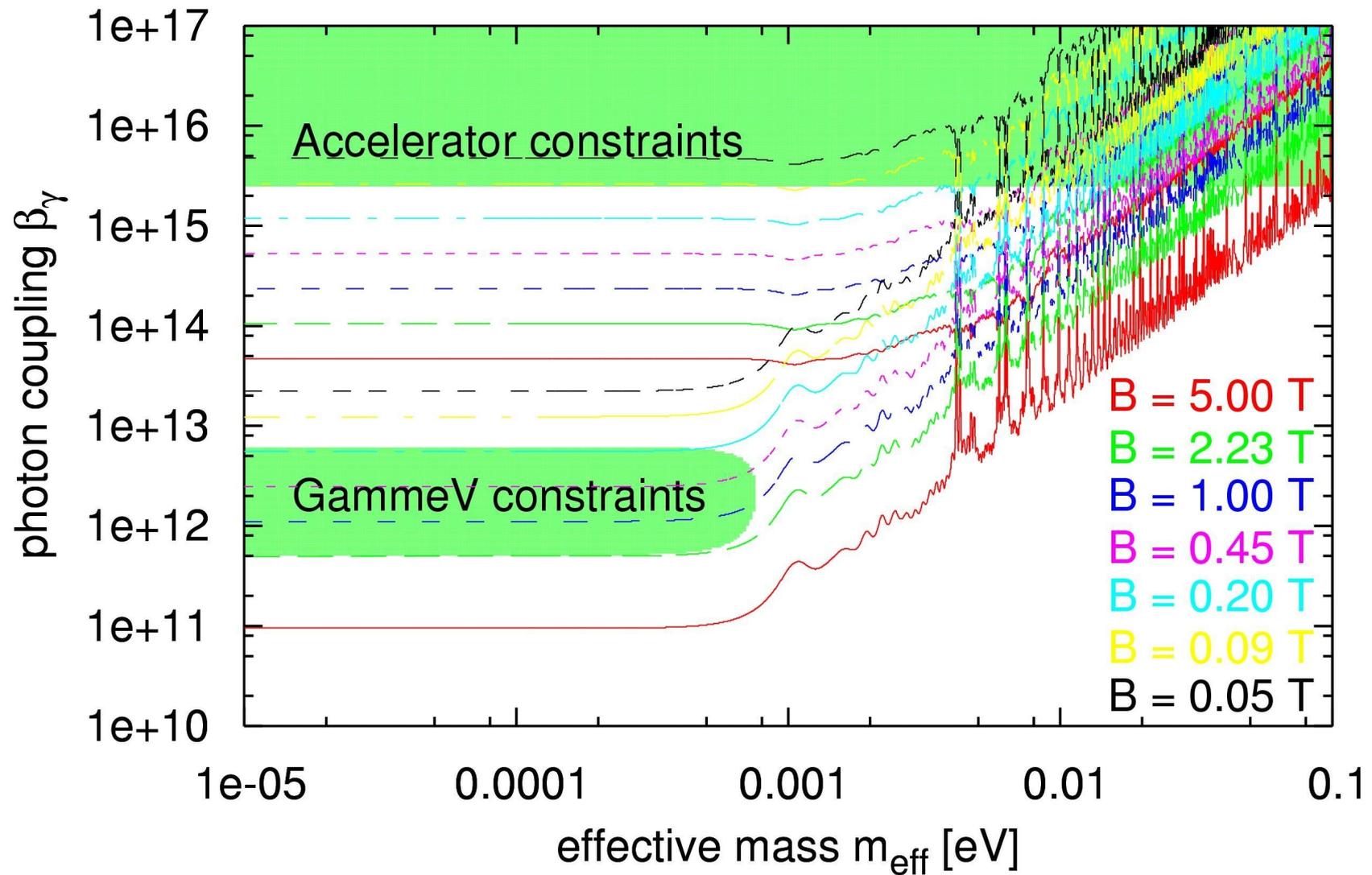
CHASE schematic



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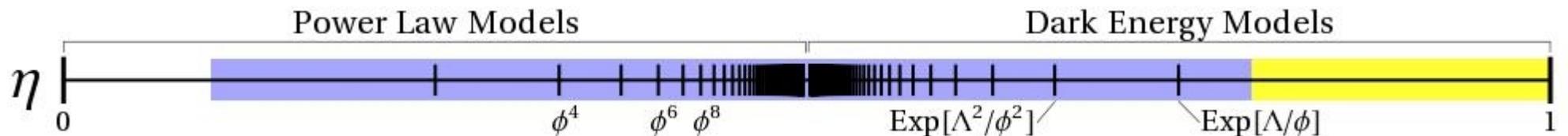
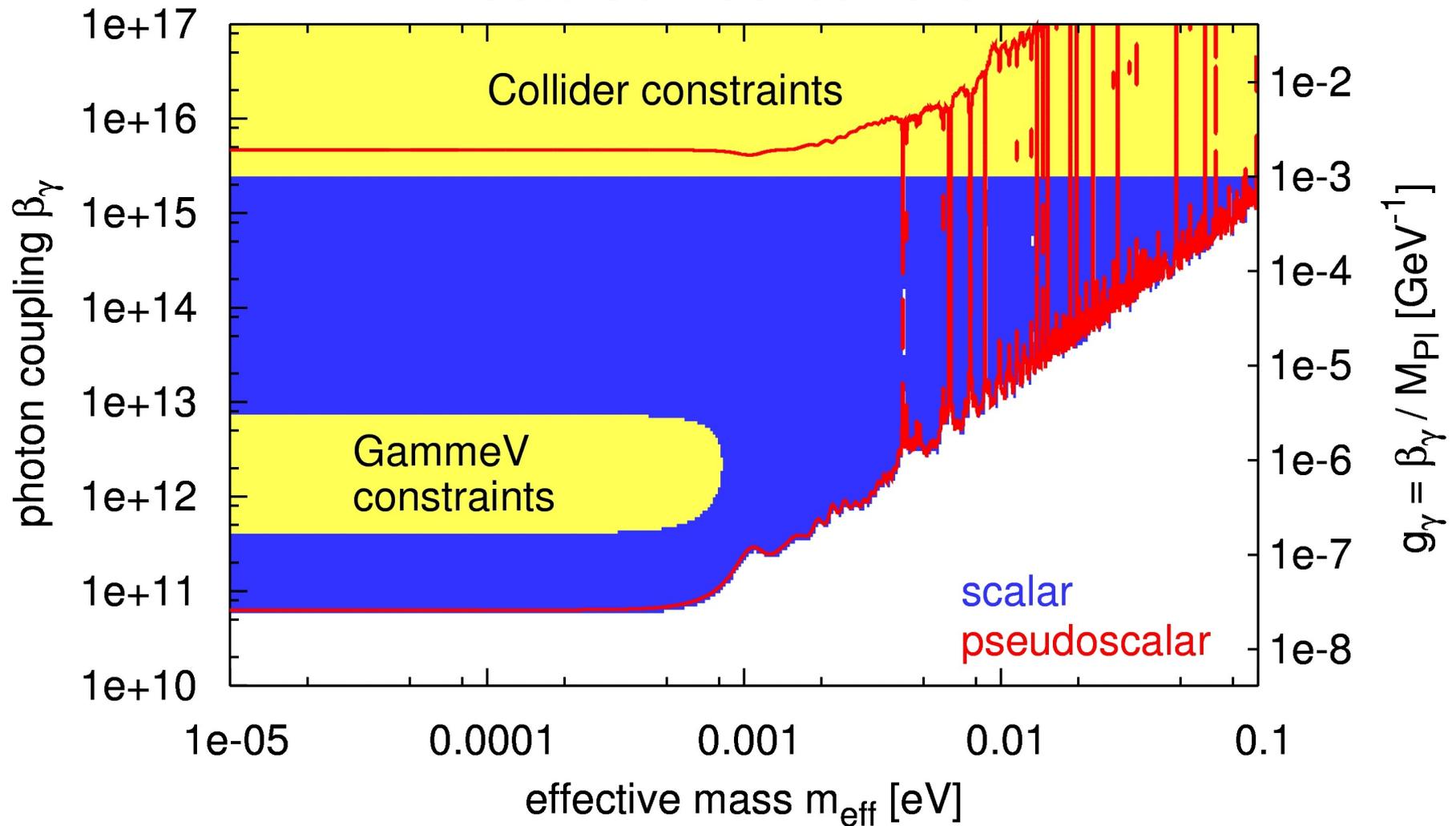
CHASE experimental approach



Lowering the magnetic field allows us to probe larger photon couplings and to eliminate some systematic effects.

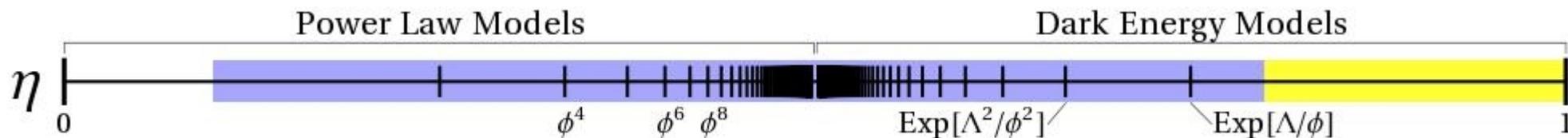
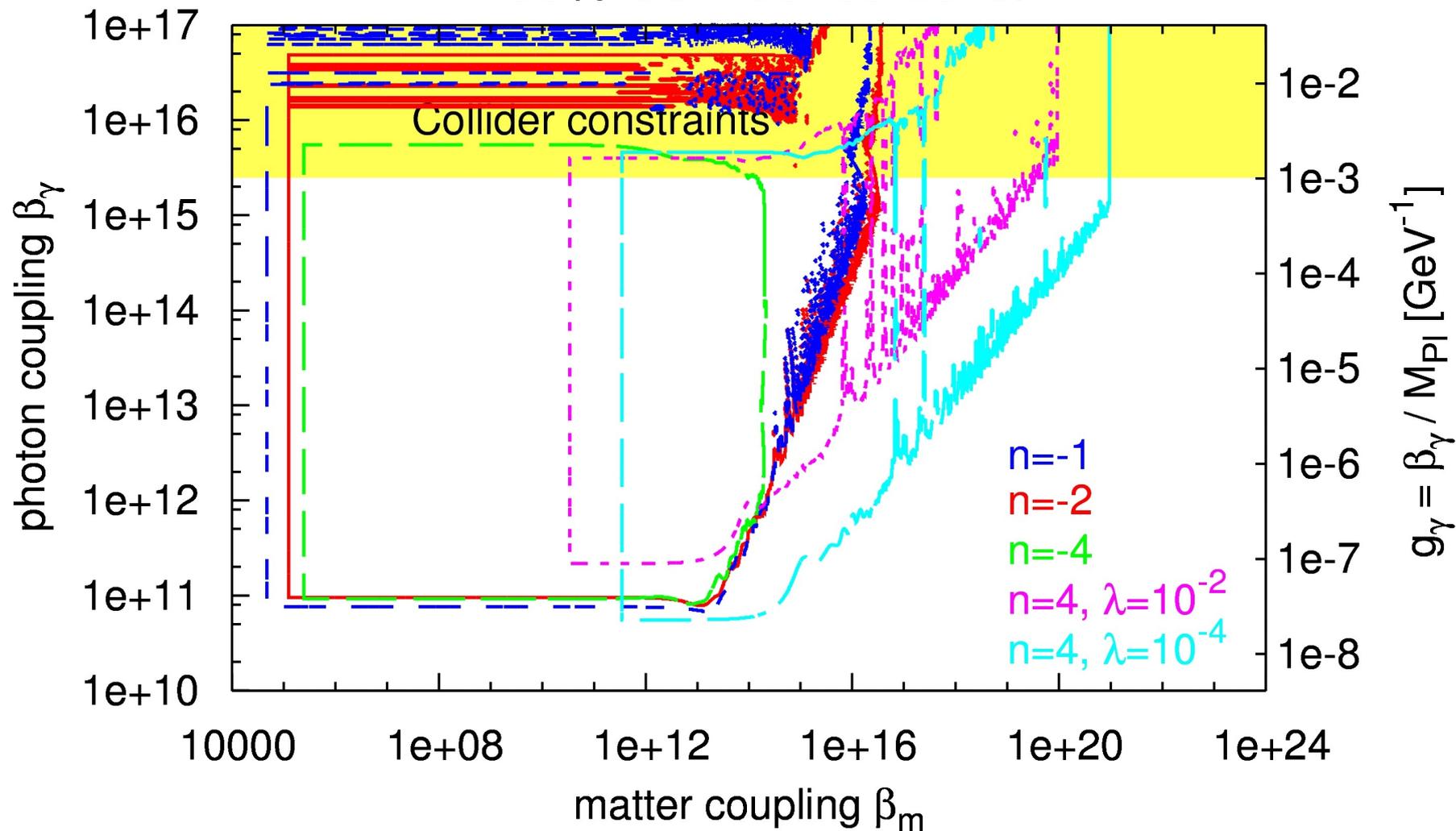
Constraints from CHASE

95% Confidence Level



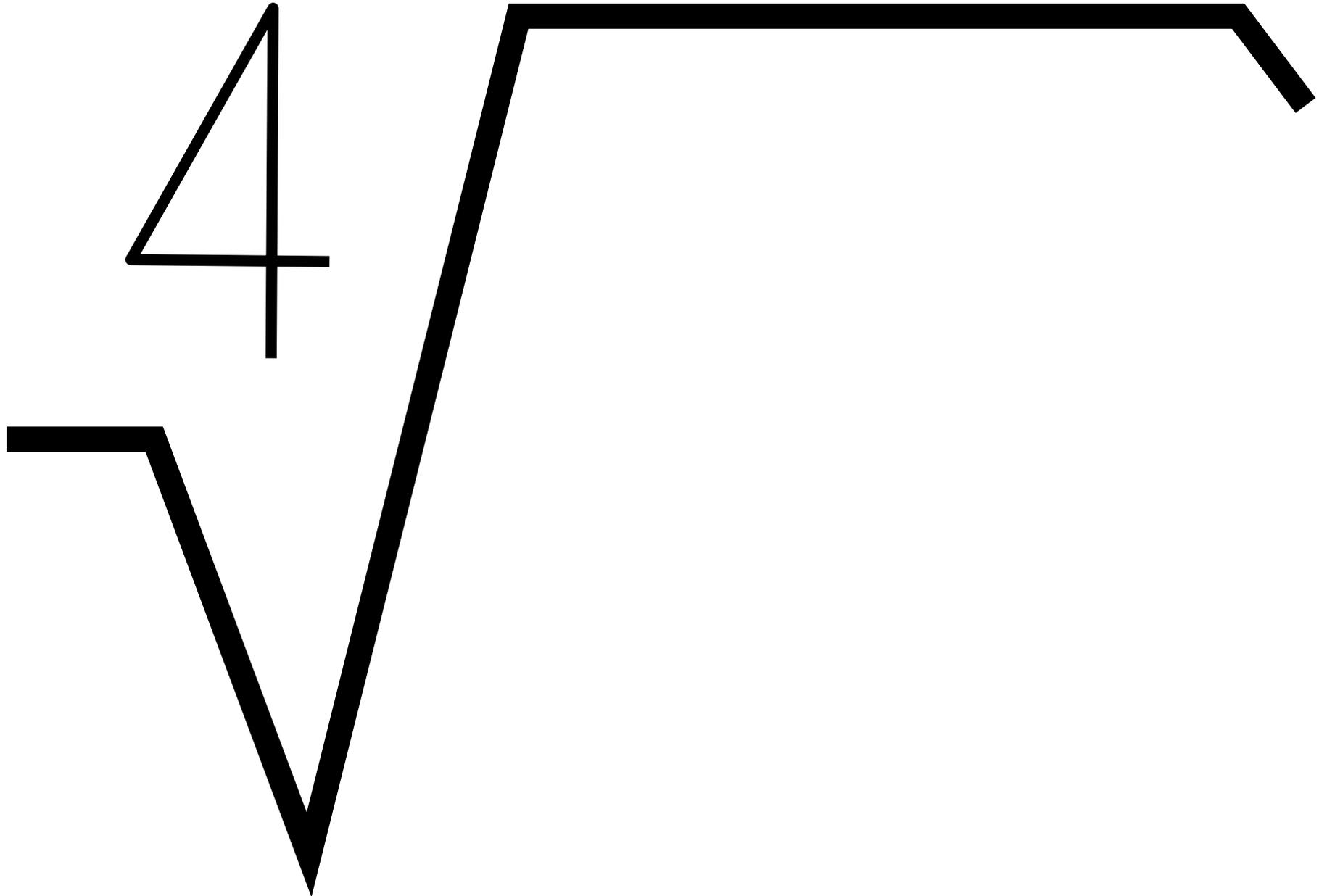
Model Dependent Results

95% Confidence Level



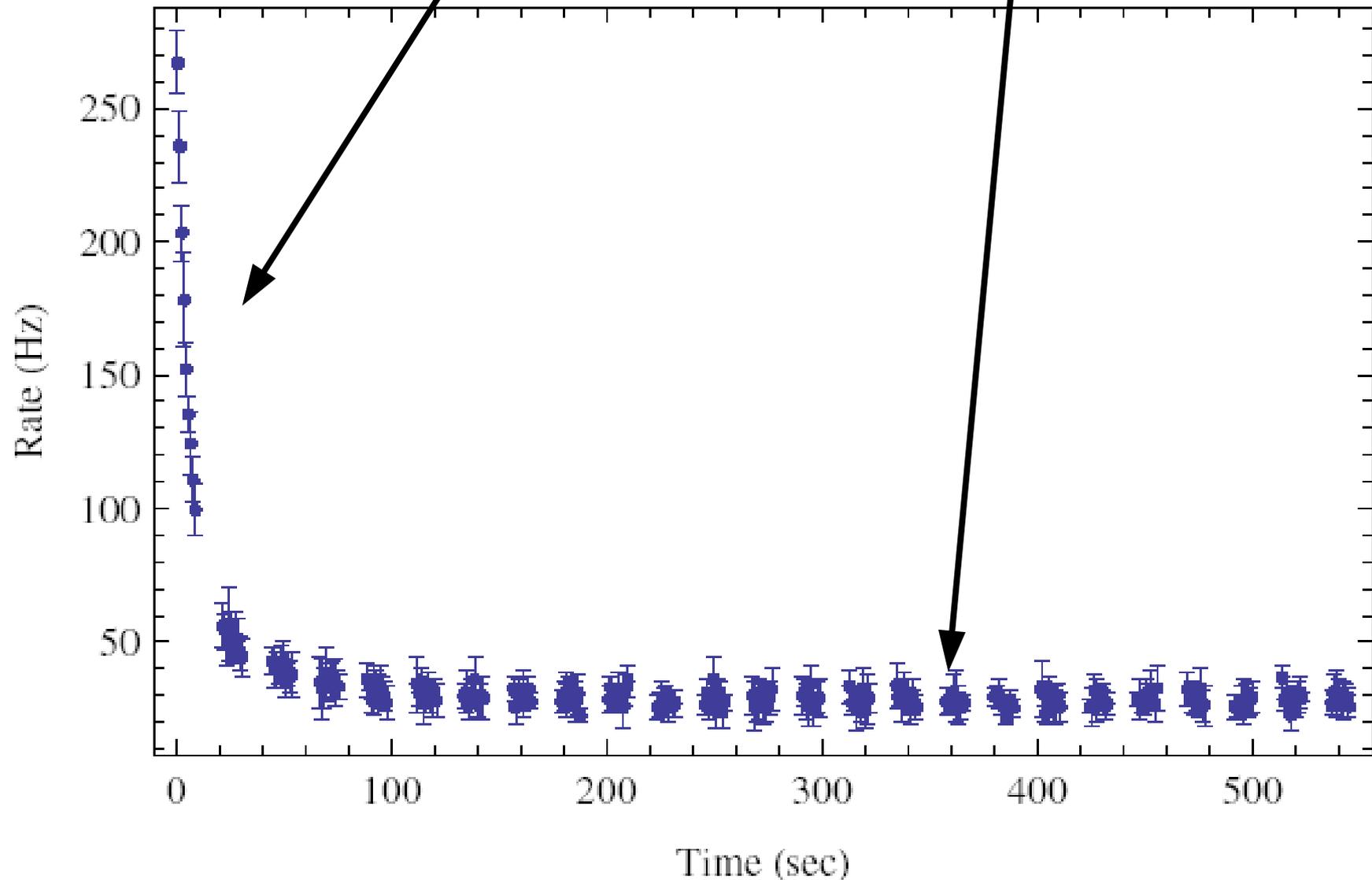
Limitations on Future Experiments

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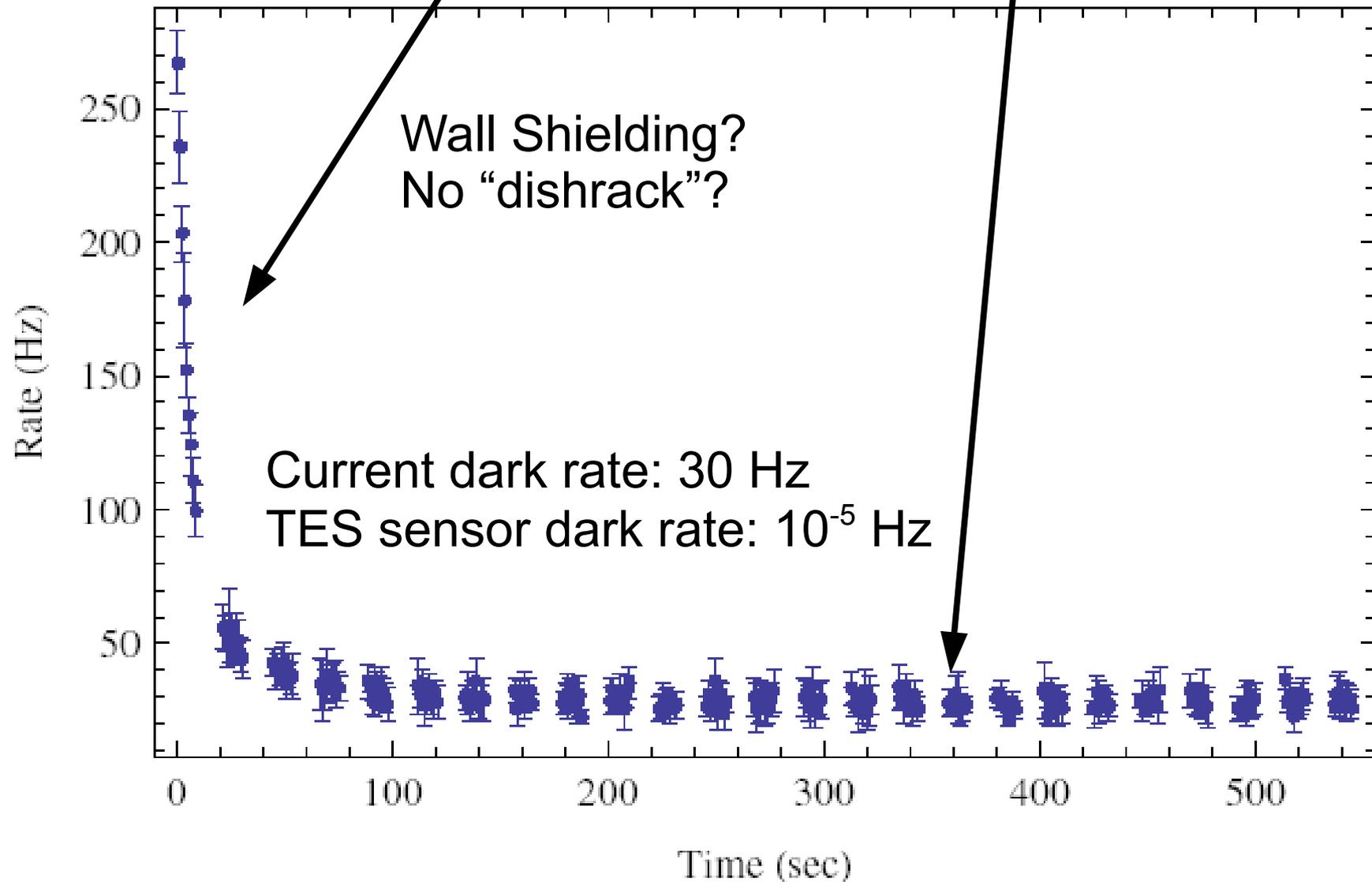
Limitations on Future Experiments

“Orange Glow” and Dark Rate



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“Orange Glow” and Dark Rate



Limitations on Future Experiments

Effective angular size of the detector $\sim 10^{-4}$

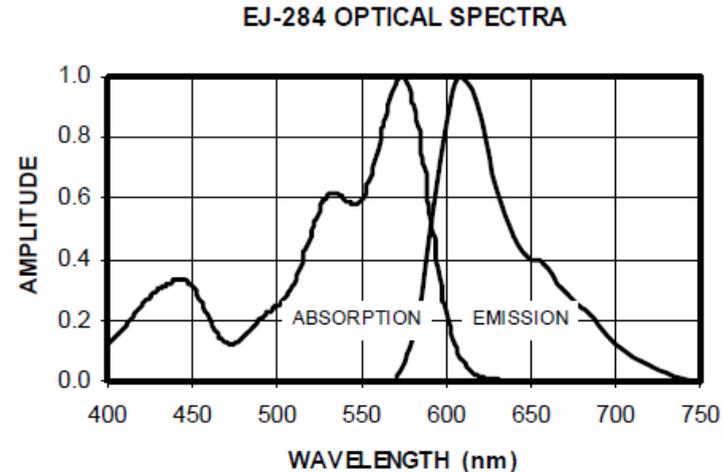


Limitations on Future Experiments

Effective angular size of the detector $\sim 4\pi$



Wavelength shifter



Conclusions

- CHASE results exclude chameleon dark energy models over a wide range of photon and matter couplings.
 - For simple models the improvement is five orders of magnitude in photon coupling for matter couplings that span 12 orders of magnitude
 - Sensitive to chameleon effective mass at the dark energy scale and beyond
- CHASE is also sensitive to power-law chameleon models
- Improvements in the detector noise and angular acceptance could give two additional orders of magnitude

How do you hide a scalar field?

$$\nabla^2 \phi + m^2 \phi = \frac{g}{M_{\text{Pl}}} \rho$$

$$K(\rho) \nabla^2 \phi + m^2 \phi = \frac{g}{M_{\text{Pl}}} \rho$$

Vainshtein

$$\nabla^2 \phi + m^2 \phi = \frac{g(\rho)}{M_{\text{Pl}}} \rho$$

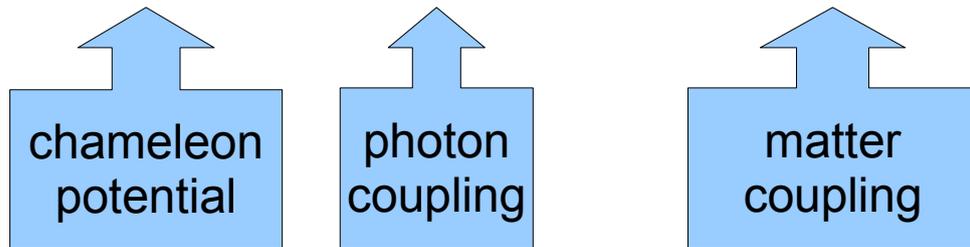
symmetron

$$\nabla^2 \phi + M^2(\rho) \phi = \frac{g}{M_{\text{Pl}}} \rho$$

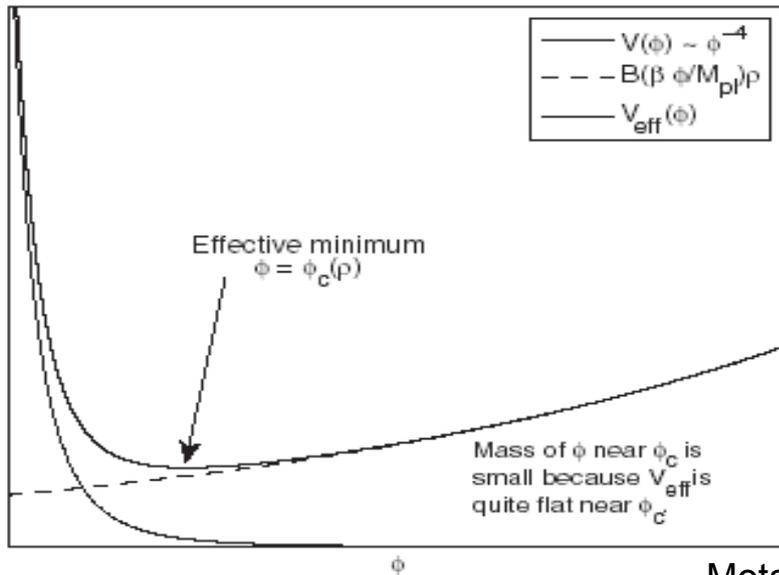
chameleon

The Chameleon Effect

$$S = \int d^4x \sqrt{-g} \left[\frac{R}{16\pi G} - \frac{1}{2} \partial_\mu \phi \partial^\mu \phi - V(\phi) - \frac{1}{4} e^{\frac{\beta_\gamma \phi}{M_{\text{Pl}}}} F_{\mu\nu} F^{\mu\nu} + \mathcal{L}_m \left(e^{\frac{2\beta_{\text{m}} \phi}{M_{\text{Pl}}}} g_{\mu\nu}, \psi_{\text{m}}^{(i)} \right) \right]$$



Sketch of chameleon mechanism: Low Density Background



Sketch of chameleon mechanism: High Density Background

